

Processing XML for Domain Specific Languages

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Abstract

XML is a standard and universal language for representing information. XML processing is supported by two key frameworks: DOM and SAX. SAX is efficient, but leaves the developer to encode much of the processing. This paper introduces a language for expressing XML-based languages via grammars that can be used to process XML documents and synthesize arbitrary values. The language is declarative and shields the developer from SAX implementation details. The language is specified and an efficient implementation is defined as an abstract machine.

1 Introduction

XML is a standard and universal language for representing information. It is used to represent information including: financial trading; controlling robotic telescopes; clinical data; and, music. An XML document consists of a tree of elements. Each element contains a tag, some attribute name-value pairs and a sequence of child elements. Leaf nodes may be unformatted text.

In order for an XML document to be processed, it must conform to a predefined format. The format defines a collection of tags that can be used in the document, the attributes for an element with a given tag and the rules of parent-child element composition. Such a format defines a language and any XML document that conforms to the format is written in the language. If the format is defined to support information for a specific application domain (such as share prices or system configuration) then it constitutes a *domain specific language* (DSL).

How should an XML document be processed? An application that processes XML will need to read the document and translate it into some form of useful information. This is often achieved using two approaches: translate the XML into data that is then processed by the application; translate the XML into calls on an application specific API. The first approach can be thought of as a mapping from one data format to another and the second as *executing* the XML document. Sometimes a mixture of the two is used.

In either case, working with XML involves reading a document and processing the information in some way. There are two standard ways of processing XML data:

DOM	A DOM processor [8] translates the XML document into a faithful in-memory tree and passes this data structure to the application. The application can then traverse the tree and perform any appropriate actions.
SAX	A SAX framework [7] traverses the XML document in a predefined order and generates events for each type of tree-node that it encounters. The application supplies the SAX framework with an adapter that implements handlers for each event type. The handlers perform application specific processing.

Both DOM and SAX processing will achieve the desired result. However, there are significant drawbacks to the DOM approach since it requires the complete XML tree to be represented in memory before application-specific processing can take place. Firstly

the XML document may be very large so its representation in-memory may incur an unreasonable overhead. Secondly, the DOM approach is not compatible with applications whose life-cycle may be indefinite, for example interactive applications.

The SAX approach does not suffer from these drawbacks since the processing of the XML data is interleaved with application specific event handlers. Unfortunately, compared to DOM-based processing, writing a SAX processor is complex since the SAX framework effectively flattens the XML tree and generates a sequence of events.

SAX-based processing of a DSL involves recognizing sequences of events that arise from a flattened XML document and performing actions that either synthesize a data structure or make calls an an application API. This processing is the same as the actions of a parser which takes a description of a language (a grammar) and processes some input. Given a suitable representation for XML grammars and an efficient parsing engine then SAX processing of XML DSLs can be made both convenient and efficient.

This paper describes an approach to parsing XML grammars using a SAX framework and shows how a standard LL(1) parsing technique can be used to process XML documents. The grammar language is novel in that it uses a convenient syntax in terms of parametric parsing rules and can easily be implemented using an efficient parsing machine. The language has been implemented and is available as part of the open-source XMF system.

The paper is structured as follows: section 2 describes a language for representing XML grammars; section 3 specifies how the XML grammars process XML documents and synthesize results; section 4 defines a parsing machine that is driven by an XML grammar and processes an XML document as described in the specification; finally, section 5 reviews the paper and compares the results with similar systems.

2 XML Grammars

An XML grammar is a collection of rules. The rules specify a set of legal XML documents; if document d

is in the set of legal documents for grammar g then g is satisfied by d . A grammar also specifies a value for each XML document. If a document d satisfies grammar g with value v then *parsing* d with respect to g produces, or *synthesizes*, value v .

The XMF system implements a parser for XML grammars. The grammars are specified in a concrete language described in section 2.1. The XMF-based grammar language is useful for humans, but long-winded when describing precisely how the parsing mechanism works. Therefore, section 2.2 defines an equivalent abstract syntax for the grammar language that is used in the rest of the paper.

2.1 Example

XMF implements XML grammars using a language that is based on BNF. A grammar consists of rules that define non-terminals. The body of a rule is a pattern that consists of element specifications (terminals), rule calls (non-terminals), bindings and actions. The following is an example of an XML grammar that processes a simple model language. The models consist of packages, classes and associations. The rest of this section describes the grammar in more detail.

```
(1) @Grammar Models
(2)   Attribute ::=
(3)     <Attribute name type/>
(4)     { Attribute(name,type) }.
      Class ::=
      <Class name isAbstract id>
(5)       elements = ClassElement*
(6)     </Class> {
(7)       elements->iterate(e c = Class(name,isAbstract) |
(8)         c.add(e)) }.
      ClassElement ::= Attribute | Operation.
      Operation ::=
      <Operation name>
      as = Arg*
      </Operation> { Operation(name,as) }.
      Package ::=
      <Package name>
      elements = PackageElement*
      </Package> {
      elements->iterate(e p = Package(name) |
        p.add(e)) }.
```

```

PackageElement ::= Package | Class | Assoc.
(9)  Assoc ::=
      <Association name>
      <End n1=name t1=type/>
      <End n2=name t2=type/>
      </Association> {
(10)  Association(n,End(n1,t1),End(n2,t2)) }.
      end

```

The grammar is defined using the XML grammar DSL defined by XMF and starts at line (1). Lines (2-4) are a typical example of a grammar rule. The name of the rule is `Attribute`. The body specifies that `Attribute` expects an XML element representing an attribute with a name and a type. The variables `name` and `type` are bound to the values of the corresponding XML attributes. Line (4) defines an action that occurs after the XML element has been consumed. The action constructs an instance of the XMF class `Attribute` and supplies the values of name and type. Each component of a rule-body returns a value. The value of the last component is that returned by a call of the rule. In this case the rule returns a new attribute instance.

Line (5) is interesting because it shows a call of the rule `ClassElement` and the use of the `*` decoration to specify that `ClassElement` should be called repeatedly until it fails to be satisfied by the XML input. The result of a component decorated with a `*` is a sequence of elements.

Line (8) is interesting because it shows how alternatives are specified in a rule. A `ClassElement` is either an `Attribute` or an `Operation`.

Parsing starts with an initial rule and a tree (the root of the document). Each rule element is processed in turn. Tree elements are consumed each time an element specification (e.g. line 3) is encountered in a rule. If the tags of the root element in the tree and the element specification match then the root is consumed and the parse proceeds with the child elements. If the comparison ever fails, and no further choices are available, then the parse fails and no values are produced.

2.2 Abstract Syntax

In the rest of this paper we specify a parser for the XML grammar language and give its implementation. The concrete language described in the previous section is not really suitable for precise descriptions of the specification and parsing machinery. Therefore, this section gives an equivalent abstract syntax description of the essential features.

An abstract syntax for the grammar language is used as defined below where N is a set of names, E is a set of expressions, $\{.\}$ is the power-set constructor, $[\cdot]$ constructs a set of sequences from an underlying type, V is a set of values that can be synthesized by a grammar and $t(P, \dots)$ denotes the set of all terms with functor t constructed from the supplied sets P etc.

$g \in G$	$=$	$\{C\}$	<i>grammars</i>
$c \in C$	$=$	$N \times [N] \times B$	<i>clauses</i>
$b \in B$	$=$	$or(B, B)$	<i>clause bodies</i>
		$ $ $and(B, B)$	<i>disjunction</i>
		$ $ $bind([N], B)$	<i>conjunction</i>
		$ $ $star(B)$	<i>binding</i>
		$ $ $empty$	<i>repetition</i>
		$ $ any	<i>no elements</i>
		$ $ ok	<i>any element</i>
		$ $ $text$	<i>skip</i>
		$ $ $call(N, [E])$	<i>raw text</i>
		$ $ $actions([E])$	<i>nonterminal</i>
		$ $ $N \times \{N \times N\} \times \Gamma \times B$	<i>synthesis</i>
$\gamma \in \Gamma$	$=$	$E \mapsto B$	<i>element spec</i>
$\rho \in \Phi$	$=$	$N \rightarrow V$	<i>guarded bodies</i>
$x \in X$	$=$	$N \times \Phi \times [X]$	<i>environments</i>
		$ $ $text(S)$	<i>XML</i>
			<i>element</i>
			<i>text</i>

A clause will be written $c(\tilde{v}) \triangleright b$ where c is the name, \tilde{v} are the arguments and b is the body. A disjunction will be written $b \mid b'$ and a conjunction bb' . A call will be written $n(\tilde{e})$ and actions $[\tilde{e}]$. Repetition will be written b^* . Bindings will be written $\tilde{n} = b$.

An element specification is (t, N, γ, b) which is to be interpreted as follows: t is a tag, N is a set of names (actually a set of name pairs to allow variables and attribute names to be different, however

we simplify this in definitions by assuming that they are always the same) that specify the attributes to be bound when matching against an XML element. The guarded bodies γ is a function, viewed as a set of pairs, associating boolean expressions with clause body elements. The element b is the else-clause.

Environments ρ are just functions from names to values. They will be extended in the normal way $\rho[n \mapsto v]$ and $\rho \oplus \rho'$ with shadowing on the right. The environment $\rho \setminus N$ is the same as ρ except that the domain is restricted to the set of names N .

Sequences of elements are written \tilde{s} and are constructed from the empty sequence $[]$, concatenation of sequences $\tilde{p} + \tilde{q}$ and consing $x : \tilde{s}$.

Expressions are used to represent guards in element specifications, arguments in calls and synthesizing actions. An expression e may contain variable references and denotes a value $e(\rho)$. Sequences of actions \tilde{e} generalize naturally.

The Attribute rule body from the example concrete grammar described in section 2.1 is represented as follows using abstract syntax (and a suitable action e_1):

$$(Attribute, \{name, type\}, true, [e_1])$$

The Operation rule body is:

$$(Operation, \{name\}, true, [as = Arg()^* [e_2]])$$

2.3 Well Formedness Rules

Not all syntactically correct grammar rules are meaningful. In order for a rule to be correct it must conform to variable binding well-formedness rules that require a variable to be bound before it can be referenced. For example the following rule is not meaningful because the use of disjunction means that the variable x cannot be guaranteed to be bound in all cases:

$$W() \triangleright ([x] = X() \mid [y] = Y()) Z(x)$$

The well-formedness rules depend on two functions that are defined on the abstract syntax. The function $free : B \rightarrow \{N\}$ maps a rule element to a set

of names that are freely referenced in that element. The function $bound : B \rightarrow \{N\}$ maps a rule element to the variable names that are bound by the element and subsequently available once the element has been successfully parsed.

A rule element b is well formed when, given a context of bound names N , the relationship $N \vdash b$ holds as defined in figure 1. A rule $n(\tilde{n}) \triangleright b$ is well formed when $\{\tilde{n}\} \vdash b$ and a grammar is well-formed when all of its rules are well-formed.

Rule *Wor* defines that names available outside a disjunction must be bound by both parts of the disjunction. *Wand* defines that binding is sequential and cumulative. *Wel* defines that the names used in element specification guards must be in scope and that the attributes are scoped over the guards and the child elements. *Wbind* defines that a binding element introduces names that can be used in clause body element that occur subsequently. Both *Wcall* and *Wsynth* require that freely referenced names must be bound.

3 Specification

The XML grammar language is used to specify XML languages. A grammar defines a collection of XML trees; each tree is a member of the XML language defined by the grammar. The association between an XML grammar and a set of XML trees is defined as a relation of the form:

$$g, b \vdash \tilde{x} + \tilde{x}', \rho, \tilde{x}', v$$

where g is the grammar, b is a clause body, \tilde{x} is a sequence of XML elements, ρ is an environment associating variables with values, and v is a value. The relation states that an XML document $d = doc(t, \rho, \tilde{x})$ satisfies a grammar g with starting rule named n synthesizing value v when $g, n() \vdash [(t, \rho, \tilde{x})], [], v$, i.e. calling the rule named n with no arguments and in an empty variable environment with respect to the root XML element must consume the complete element and produce a value.

The relationship is defined in figure 2. Rules *SOr₁* and *SOr₂* specify the conditions under which a disjunction recognises a sequence of XML trees. Two

$\frac{N \vdash b_1 \quad N \vdash b_2}{N \cup (\text{bound}(b_1) \cap \text{bound}(b_2)) \vdash b_1 \mid b_2}$	(Wor)	$\frac{N \vdash b_1 \quad N \cup \text{bound}(b_1) \vdash b_2}{N \cup \text{bound}(b_1) \cup \text{bound}(b_2) \vdash b_1 b_2}$	$(Wand)$
$\frac{\begin{array}{c} \text{free}(\gamma) \subseteq N \cup N' \\ N \cup N' \vdash b \quad \forall b \in \text{ran}(\gamma) \\ N \cup N' \vdash b \end{array}}{N \vdash (n, N', \gamma, b)}$	(Wel)	$\frac{N \vdash b}{N \cup \tilde{n} \vdash \text{bind}(\tilde{n}, b)}$	$(Wbind)$
$N \vdash \text{empty}$	$(Wempty)$	$N \vdash \text{any}$	$(Wany)$
$N \vdash \text{text}$	$(Wtext)$	$\frac{\text{free}(n(\tilde{e})) \subseteq N}{N \vdash n(\tilde{e})}$	$(Wcall)$
$\frac{\text{free}(\{\tilde{e}\}) \subseteq N}{N \vdash \{\tilde{e}\}}$	$(Wsynth)$	$N \vdash \text{ok}$	(Wok)

Figure 1: Well-Formedness

$\frac{g, b \vdash \tilde{x}, \rho, \tilde{x}', v}{g, b b' \vdash \tilde{x}, \rho, \tilde{x}', v}$	(Sor_1)	$\frac{g, b \vdash \tilde{x}, \rho, \tilde{x}', v}{g, b' b \vdash \tilde{x}, \rho, \tilde{x}', v}$	(Sor_2)
$\frac{\begin{array}{c} g, b_1 \vdash \tilde{x}, \rho_1, \tilde{x}', v_1 \\ g, b_2 \vdash \tilde{x}', \rho_2, \tilde{x}'', v_2 \end{array}}{g, b_1 b_2 \vdash \tilde{x}, \rho_1 \oplus \rho_2, \tilde{x}'', v_2}$	$(Sand)$	$\frac{g, b \vdash \tilde{x}, \rho, \tilde{x}', \tilde{v}}{g, \tilde{n} = b \vdash x, \rho[\tilde{n}_i \mapsto \tilde{v}_i], x', v}$	$(Sbind)$
$g, \text{empty} \vdash [], \rho, [], \text{null}$	$(Sempty)$	$g, \text{any} \vdash x : \tilde{x}, \rho, \tilde{x}, x$	$(Sany)$
$\frac{\text{isText}(x)}{g, \text{text} \vdash x : \tilde{x}, \rho, xs, x}$	$(Stext)$	$\frac{\begin{array}{c} g(n) = n(\tilde{v}) \triangleright b \\ g, b \vdash \tilde{x}, [\tilde{v} \mapsto \tilde{e}(\rho)] \oplus \rho', \tilde{x}', v \end{array}}{g, n(\tilde{e}) \vdash x, \rho, x', v}$	$(Scall)$
$\frac{\tilde{e}(\rho) = \tilde{v}}{g, [\tilde{e}] \vdash \tilde{x}, \rho, \tilde{x}, \tilde{v}}$	$(Ssynth)$	$g, \text{ok} \vdash \tilde{x}, \rho, \tilde{x}, \text{null}$	(Sok)
$\frac{\begin{array}{c} g, \gamma(g) \vdash \tilde{x}, \rho \oplus (\rho' \setminus N), \tilde{x}', v \\ g(\rho \oplus (\rho' \setminus N)) \end{array}}{g, (t, N, \gamma, b) \vdash (t, \rho', \tilde{x}) : \tilde{y}, \rho, \tilde{y}, v}$	(Sel_1)	$\frac{\begin{array}{c} g, b \vdash \tilde{x}, \rho \oplus (\rho' \setminus N), \tilde{x}', v \\ \neg \exists g \in \text{dom}(\gamma) \bullet g(\rho \oplus (\rho' \setminus N)) \end{array}}{g, (t, N, \gamma, b) \vdash (t, \rho', \tilde{x}) : \tilde{y}, \rho, \tilde{y}, v}$	(Sel_2)

Figure 2: Specification

rules are required in order to allow the recognition to succeed if either of the two patterns succeed. The rule *Sand* specifies the relationship between two patterns *in sequence*. The first pattern consumes a prefix of the sequence of XML trees and passes the remaining trees to the second pattern. The two binding environments associated with the individual patterns are combined with \oplus so that multiple occurrences of the same variable name shadow on the right. This rule forces the binding for $(x=A)(y=B)$ to contain a binding for both x and y . It also forces the environment for $(x=A)(x=B)$ to contain a single binding for x that is derived from B . The rule *Sbind* describes the case in which variables are bound to the result of recognizing a pattern.

The rule *Empty* forces the sequence of XML trees to be empty and synthesizes the null value. This is to be contrasted with the rule *Sany* that consumes a single tree. *Empty* can be used to force an XML leaf element: $(X, [], [], \text{empty})$ is a pattern that matches an XML element with a tag X and with no children. This is to be contrasted with $(X, [], [], \text{any})$ that matches an XML element with tag X and a single child element. The pattern $(X, [], [], \text{any}^*)$ matches a single tree with a tag X and with any number of children.

The rule *Stext* recognizes a single XML text element. The rule *Scall* is used to call a rule. Each rule may have more than one definition in the grammar and has 0 or more arguments. The argument values are supplied at the point of call and are expressions that are evaluated with respect to the current variable bindings. The associations between the formal parameters and the actual parameters form the initial environment for the call. The result of the call is defined by the value produced by the body of the clause.

The rule *Ssynth* defines how values are synthesized. An action is a known function. It is supplied with values that are constructed by evaluating expressions in the context of an environment. The rule describes the case where there is a sequence of expressions. This allows a single pattern to return multiple values as in the following rules:

$$\begin{aligned} X() \triangleright [v, w] &= Y() [v + w] \\ Y() \triangleright [10, 20] \end{aligned}$$

where the rule X binds a pair of values v and w by calling Y (which returns a pair of values 10 and 20). X terminates by returning the sum of v and w (a single value).

The rule *Sel* describes how XML elements are processed. An element pattern involves a tag t , some attribute names A , some clauses consisting of a guard and a pattern, and an otherwise pattern. Each guard is a predicate that may reference variables whose values are bound in the environment ρ . If the next XML element matches the required tag and the children match a clause-pattern whose guard is satisfied then the XML element is consumed and the value synthesized by the clause-pattern is returned.

4 Implementation

The previous section has specified how XML grammars can be used to recognize an XML document and to synthesize a value in the process. However the specification does not explain *how* the parsing process works. The aim of this paper is to explain how a SAX parser can be made to efficiently parse an XML document with respect to a grammar.

Efficient parsing will be performed by translating the grammar into a lookup table that predicts what to do based on the next SAX event. Providing that the grammar has a specific property that makes each lookup deterministic (the LL(1) property) then the table and SAX events can be used to drive an efficient parsing machine.

To create the table from an XML grammar, the grammar must be translated into a normal form. Section 4.1 describes this translation and section 4.2 defines an algorithm that constructs the tables. Finally section 4.3 defines a parsing machine.

4.1 Normal Form

In order to process the grammar using a parsing engine it is necessary to lift out all the disjunctions to

the top level so that they become alternative definitions for clauses. The following equivalence is used to perform the transformation:

$$G \cup \{c(\tilde{m}) \triangleright A(X|Y)B\} \equiv G \cup \left\{ \begin{array}{l} c(\tilde{m}) \triangleright A(\tilde{n} = d(\tilde{v}))B \\ d(\tilde{v}) \triangleright X\{\tilde{n}\} \\ d(\tilde{v}) \triangleright Y\{\tilde{n}\} \end{array} \right\}$$

where $\tilde{v} = \text{free}(X|Y)$ and $\tilde{n} = \text{bound}(X|Y)$. The idea is that any disjunction $X|Y$ makes reference to some variables \tilde{v} and binds some variables \tilde{n} . The disjunction can be translated to a new clause with two alternative definitions so long as the referenced variables are passed as arguments and the bound values are returned as results.

A similar equivalence holds for element patterns:

$$G \cup \left\{ c(\tilde{m}) \triangleright A(t, N, \bigcup_{i=1,n} \tilde{g}_i \mapsto \tilde{b}_i, b) B \right\} \equiv G \cup \left\{ \begin{array}{l} c(\tilde{m}) \triangleright A(\tilde{n} = (t, N, \bigcup_{i=1,n} \tilde{g}_i \mapsto n_i(\tilde{v}_i), n(\tilde{w}))B \\ \bigcup_{i=1,n} n_i(\tilde{v}_i) \triangleright b_i[\tilde{w}_i] \\ n(\tilde{w}) \triangleright b[\tilde{n}] \end{array} \right\}$$

The guarded patterns and else-pattern are transformed to calls of new non-terminals. The free and bound variables are handled in the same way as disjunction.

Repetition can be removed using the following equivalence:

$$G \cup \{c(\tilde{m}) \triangleright AX^*B\} \equiv G \cup \left\{ \begin{array}{l} c(\tilde{m}) \triangleright A(d(\tilde{v}))B \\ d(\tilde{v}) \triangleright (x = X)(xs = d(\tilde{v}))[x : xs] \\ d(\tilde{v}) \triangleright ok \end{array} \right\}$$

The equivalences defined above are used left-to-right as rewrite rules in order to transform XML grammars

into a normal form which is suitable for predictive parsing. The main aim is to get all of the disjunctions lifted to the top-level of the grammar so that calls can be indexed in terms of element tags. All the other transformations support this aim by allowing variable bindings to be passed as arguments in calls and the results of calls to be bound appropriately.

Consider the following grammar before transformation into normal form:

@Grammar Test

```
A ::= <A> b = (B | C)* </A> {b}.
B ::= <B n=name/> {n}.
C ::= <C n=name/> {n}.
```

end

and after transformation:

@Grammar Test

```
A ::= b = <A> C1 </A> {b}.
C1 ::= x = C2 xs = C1 { Cons(x,xs) }.
C1 ::= { Nil }.
C2 ::= B.
C2 ::= C.
B ::= <B n = name> OK </B> {n}.
C ::= <C n = name> OK </C> {n}.
```

end

4.2 Lookahead Tables

Parsing is performed with respect to lookahead tables. Each clause defines a lookahead table that maps element tags to sequences of patterns. The lookahead table is constructed using the following clause properties:

null

A clause is null if it is satisfied without processing any XML elements.

first

The set of first tags associated with a clause. A clause will process a sequence of XML elements. The first set of a clause contains all tags for the head element of all such sequences. If the first sets of a clause with alternative definitions are disjoint for each definition then they can be used to predict which definition to use.

follow The set of follow tags associated with a clause. A clause may be satisfied by an empty sequence of XML elements. On completing the clause, the parse will continue to process a sequence of XML elements. The follow set of a clause contains all tags for the head element of such sequences, i.e. the XML tags that predict no consumption of elements by a clause.

Section 4.2.1 defines the *null* operation, section 4.2.2 specifies an algorithm that calculates the first and follow sets of grammar rules and finally section 4.2.3 shows how tables are constructed and gives an example.

4.2.1 Definition of Null

A clause element is *null* when it can be parsed without consuming any XML input. Predictive table construction uses the null property to construct first and follow sets that are used to populate the table for each grammar rule. The *null* operation is defined by case analysis on the elements as follows:

$null(n(\tilde{e}), g)$	$=$	$null(b, g), n(\tilde{v}) \triangleright b \in g$
$null(b b', g)$	$=$	$null(b, g) \vee null(b', g)$
$null(bb', g)$	$=$	$null(b, g) \wedge null(b', g)$
$null(\tilde{n} = b, g)$	$=$	$null(b, g)$
$null(empty, g)$	$=$	<i>true</i>
$null(any, g)$	$=$	<i>false</i>
$null(ok, g)$	$=$	<i>true</i>
$null(text, g)$	$=$	<i>false</i>
$null([\tilde{e}], g)$	$=$	<i>true</i>
$null((t, N, \gamma, b), g)$	$=$	<i>false</i>

4.2.2 Calculation of First and Follow Sets

Calculation of the first and follow sets for the grammar is performed by the algorithm defined in figure 3. The rest of this section describes the algorithm.

The sets are calculated in a loop (1-26) that continues until a fixed point is reached. Each clause in the grammar is processed in turn (2). If every pattern in a clause named *c* is null then the clause *c* is marked as null (4). For each pattern *b* in the body of the clause (6), if the pattern is an element (8) then normal form

has ensured that the element clauses and the else pattern are all calls. Therefore, all of the clauses called in the body of the element (9) are followed by the tag *t* (10). If the prefix *B'* of the clause body is null (13) then the clause *c* is predicted by the first set of *b* (14). If the element *b* is a call and is followed by null patterns (16) then the tags following *b* are the same as the tags following *c*. For all patterns *b'* that occur after *b* in the clause body (19) if *b* is a call and the intermediate patterns are null (20) then the tags following *b* are those that predict *b'*.

A grammar is deterministic (or LL(1)) if there is at most one choice at any given time. This is an important property because it makes parsing efficient and relatively simple. Given a situation in which a rule is called, if the grammar is deterministic then the next element tag (as supplied by the SAX event mechanism) determines the grammar rule to be used. If the grammar is not deterministic then more SAX events have to be consumed in order to decide how to proceed or the parsing machinery must support backtracking.

4.2.3 Table Construction

XML grammars are used to process XML documents using a predictive parser. The parser processes a lookup table with respect to the grammar and the next XML element. Each time a clause *c* is called in the grammar with respect to an XML element with tag *t*, the relation *predict(c,t)* is used to lookup the appropriate clause definition. The prediction relation is defined in figure 4.

Fortunately, it is easy to check whether an XML grammar is deterministic. If the parse table contains at most a single entry in each cell, then the grammar is LL(1). Only LL(1) grammars are supported by the parsing machine defined in the next section.

Figure 5 shows the lookup table corresponding to the example defined in section 4.1. This table has been produced by calculating the first and follow sets as defined in figure 3 and then populating the table using the algorithm in figure 4. Since all cells have at most one entry, the grammar is LL(1), for example:


```

(1)  repeat
(2)    for  $(c(\tilde{v}) \triangleright B) \in G$ 
(3)      if  $\forall b \in B \bullet \text{null}(b)$ 
(4)        then  $\text{null}(c) = \text{true}$ 
(5)      end
(6)      let  $B' + \{b\} + B'' = B$ 
(7)      in case  $b$  of
(8)         $(t, \tilde{g} \mapsto \tilde{n}, n)$  do
(9)          for  $x$  in  $n : \tilde{n}$ 
(10)            $\text{follow}(x) = \text{follow}(x) \cup \{/t\}$ 
(11)         end
(12)       end
(13)       if  $\forall b \in B' \bullet \text{null}(b)$ 
(14)         then  $\text{first}(c) = \text{first}(c) \cup \text{first}(b)$ 
(15)       end
(16)       if  $\text{isCall}(b) \wedge \forall b \in B'' \bullet \text{null}(b)$ 
(17)         then  $\text{follow}(b) = \text{follow}(b) \cup \text{follow}(c)$ 
(18)       end
(19)       let  $D + \{b'\} + E = B''$ 
(20)       in if  $\text{isCall}(b) \wedge \forall b \in D \bullet \text{null}(b)$ 
(21)         then  $\text{follow}(b) = \text{follow}(b) \cup \text{first}(b')$ 
(22)       end
(23)     end
(24)   end
(25) end
(26) until not changed

```

Figure 3: Calculation of First and Follow Sets

```

(1)  for  $c(\tilde{n}) \triangleright B + \{b\} + B' \in G$    where  $(\forall b \in B \bullet \text{null}(b)) \wedge (\text{first}(b) \neq \emptyset)$ 
(2)    for  $t \in \text{first}(b)$ 
(3)       $\text{predict}(c, t) = c(\tilde{n}) \triangleright B + \{b\} + B'$ 

```

Figure 4: Definition of Predict

	A	/A	B	/B	C	/C
A	$b = \langle A \rangle C1 \langle /A \rangle$					
C1		{ nil }	$x = C2 \text{ xs} = C1 \{ \text{cons}(x, \text{xs}) \}$		$x = C2 \text{ xs} = C1 \{ \text{cons}(x, \text{xs}) \}$	
C2			B		C	
B			$\langle B \text{ n} = \text{name} \rangle \text{ok} \langle /B \rangle \{n\}$			
C					$\langle C \text{ n} = \text{name} \rangle \text{ok} \langle /C \rangle \{n\}$	

Figure 5: Predictive Parsing Table

$$\text{predict}(B, B) = B() \triangleright (B, \{(n, \text{name})\}, \text{ok})[n]$$

4.3 Parser

A parse is performed using an engine that processes SAX events in the context of a lookup table. The engine is defined using a state transition function. The states of the engine are defined as follows:

$$\begin{array}{llll} \sigma \in \Sigma & = & P \times \Phi \times [V] \times [S] \times D & \text{states} \\ p \in P & = & [B + I] & \text{programs} \\ i \in I & = & & \text{instructions} \\ & & \text{any}(N) & \text{any end} \\ & & | [N] = & \text{bind} \\ & & | /N & \text{tag end} \\ s \in S & = & & \text{SAX events} \\ & & N \times \Phi & \text{start tag} \\ & & | /N & \text{end tag} \\ & & | \text{text}(N) & \text{text} \\ d \in D & = & & \text{dumps} \\ & & P \times \Phi \times D & \text{call frame} \\ & & | \top & \text{empty} \end{array}$$

A machine state $(\tilde{p}, \rho, \tilde{v}, \tilde{x}, d)$ consists of a program \tilde{p} that is a sequence of clause elements and machine instructions, an environment ρ that associates variables that are currently in scope with values, a stack of values \tilde{v} , a sequence of SAX events \tilde{x} , and a dump d . The idea is that the program drives the machine. At each transition the next program element and the current SAX event determines that happens. The current context is saved on the dump when a grammar rule is called and then the context is restored when the rule returns. Values are pushed onto the value stack and, if the process terminates successfully then the synthesized value is found at the head of the stack.

The machine executes with respect to an LL(1) lookup table that is represented as a function $\text{predict} : N \times N \rightarrow C$ mapping clause names and XML element tags to grammar clauses. Given an initial call $c(\tilde{v})$ of a grammar rule, the machine uses a state transition function to transform a starting state into a terminal state as follows:

$$([c(\tilde{v})], [], [], [x], \top) \mapsto^* ([], [], [v], [], \top)$$

If a terminal state cannot be reached then the parse fails. The transition function is defined in figure 6. The machine is driven by case analysis at the head of the program. Rules (1-3) define how a call is performed. The next SAX event is either a start tag, an end tag or text. In each case the lookup table is used to determine which rule is being called (the table cannot be ambiguous and may contain no entry in which case the parse fails). If the table contains an entry for the SAX event then the current context is saved on the dump and a new context is created for the execution of the rule body. Rule (4) shows what happens when a rule body is exhausted; the saved context is restored.

Rules (5) and (6) show how element specifications are performed. When an element specification is encountered in the program, a corresponding SAX event to start an element must be received. In this case, either one of the guard expressions is true, in which case the corresponding body element is performed, otherwise the else-clause is performed. In either case, a tag end instruction is added to the program which will test for the corresponding end tag SAX event (6).

Rule (7) shows how actions are performed. The empty rule (8) defines that children of XML element can be specified as empty.

The rules governing *any* are defined (9 - 13). If an *any* element is encountered when the next SAX event is text then the text is just ignored. If an *any* element is encountered when the next SAX event is a start tag then the corresponding end tag must be consumed, therefore an *any* machine instruction is created to ensure these match up (10). Rules (11-13) define how the *any* instruction is processed for each type of SAX event.

Rules (14) and (15) define how binding takes place. When a *bind* element is encountered (14) the body element is added to the program along with a *bind* instruction. The *bind* instruction extends the environment with values in (15).

Finally, text is processed in rule (16).

(1)	$(n(\tilde{e}) : \tilde{p}, \rho, \tilde{v}, (t, \rho') : \tilde{x}, d)$	$\mapsto ([b], \tilde{v} \mapsto \rho(\tilde{e}), \tilde{v}, (t, \rho') : \tilde{x}, (\tilde{p}, \rho, d))$ when $\text{predict}(n, t) = n(\tilde{v}) \triangleright b$
(2)	$(n(\tilde{e}) : \tilde{p}, \rho, \tilde{v}, /t : \tilde{x}, d)$	$\mapsto ([b], \tilde{v} \mapsto \rho(\tilde{e}), \tilde{v}, /t : \tilde{x}, (\tilde{p}, \rho, d))$ when $\text{predict}(n, /t) = n(\tilde{v}) \triangleright b$
(3)	$(n(\tilde{e}) : \tilde{p}, \rho, \tilde{v}, \text{text}(t) : \tilde{x}, d)$	$\mapsto ([b], \tilde{v} \mapsto \rho(\tilde{e}), \tilde{v}, \text{text}(t) : \tilde{x}, (\tilde{p}, \rho, d))$ when $\text{predict}(n, \text{text}) = n(\tilde{v}) \triangleright b$
(4)	$([], _, \tilde{v}, \tilde{x}, (\tilde{p}, \rho, d))$	$\mapsto (\tilde{p}, \rho, \tilde{v}, \tilde{x}, d)$
(5)	$((t, N, \bigcup_{i=1,n} g_i \mapsto b_i, b) : \tilde{p}, \rho, \tilde{v}, (t', \rho') : \tilde{x}, d)$	$\mapsto \begin{cases} ([b_i, /t] + \tilde{p}, \rho \oplus \rho', \tilde{v}, \tilde{x}, d) & \text{when } t = t' \wedge g_i(\rho) \\ ([b, /t] + \tilde{p}, \rho \oplus \rho', \tilde{v}, \tilde{x}, d) & \text{when } t = t' \end{cases}$
(6)	$(/t : \tilde{p}, \rho, \tilde{v}, /t' : \tilde{x}, d)$	$\mapsto (\tilde{p}, \rho, \tilde{v}, \tilde{x}, d) \text{ when } t = t'$
(7)	$([\tilde{e}] : \tilde{p}, \rho, \tilde{v}, \tilde{x}, d)$	$\mapsto (\tilde{p}, \rho, \tilde{e}(\rho) : \tilde{v}, \tilde{x}, d)$
(8)	$(\text{empty} : \tilde{p}, \rho, \tilde{v}, /t : \tilde{x}, d)$	$\mapsto (\tilde{p}, \rho, \tilde{v}, /t : \tilde{x}, d) \text{ when } \tilde{p} = /t : \tilde{p}'$
(9)	$(\text{any} : \tilde{p}, \rho, \tilde{v}, \text{text}(t) : \tilde{x}, d)$	$\mapsto (\tilde{p}, \rho, \perp : \tilde{v}, \tilde{x}, d)$
(10)	$(\text{any} : \tilde{p}, \rho, \tilde{v}, (t, \rho') : \tilde{x}, d)$	$\mapsto (\text{any}(t) : \tilde{p}, \rho, \tilde{v}, \tilde{x}, d)$
(11)	$(\text{any}(t) : \tilde{p}, \rho, \tilde{v}, /t : \tilde{x}, d)$	$\mapsto (\tilde{p}, \rho, \perp : \tilde{v}, \tilde{x}, d)$
(12)	$(\text{any}(t) : \tilde{p}, \rho, \tilde{v}, (t', \rho') : \tilde{x}, d)$	$\mapsto (\text{any}(t') : \text{any}(t) : \tilde{p}, \rho, \tilde{v}, \tilde{x}, d)$
(13)	$(\text{any}(t) : \tilde{p}, \rho, \tilde{v}, \text{text}(t') : \tilde{x}, d)$	$\mapsto (\text{any}(t) : \tilde{p}, \rho, \tilde{v}, \tilde{x}, d)$
(14)	$(\tilde{n} = b) : \tilde{p}, \rho, \tilde{v}, \tilde{x}, d)$	$\mapsto ([b, \tilde{n} =] : \tilde{p}, \rho, \tilde{v}, \tilde{x}, d)$
(15)	$(\tilde{n} =) : \tilde{p}, \rho, \tilde{w} : \tilde{v}, \tilde{x}, d)$	$\mapsto (\tilde{p}, \rho[\tilde{n} \mapsto \tilde{w}], \tilde{w} : \tilde{v}, \tilde{x}, d)$
(16)	$(\text{text} : \tilde{p}, \rho, \tilde{v}, \text{text}(t) : \tilde{x}, d)$	$\mapsto (\tilde{p}, \rho, t : \tilde{v}, \tilde{x}, d)$

Figure 6: Parsing Engine

5 Analysis

This paper has specified and implemented a DSL for parsing XML documents using the SAX event-based interface. The SAX interface is attractive because it is efficient compared to the DOM interface which constructs a model of the XML document before processing can start. The challenge in processing SAX events is how to shield the user from implementation details. Our approach is to use a DSL that allows XML languages to be expressed as a standard grammar. This paper has provided a specification and implementation of this language. The language has been implemented as part of the XMF language oriented programming (LOP) [5] system which is open-source and available from [4]. Further details of the language can be found in [6].

In addition, XMF can be used to export the grammars to an Java implementation of the engine described in this paper. This allows XMF to be used as a compiler for XML grammars that produce standalone XML parsers. In these cases, the synthesizing

actions are allowed to be Java statements and can be used to make calls on other APIs. This approach has been used in a commercial context to process UML models encoded as XMI.

Originally, XML based languages were expressed in DTD-format and latterly in XML schemas. [3] show that these formats can be expressed using standard technology from formal language theory (i.e. language grammars). The paper also investigates the properties of these grammars.

Kiselyov [2] reports a number of XML parser implementations in using declarative technologies including CL-XML (Common Lisp) [1], XISO (Scheme), Tony (OCaml) and HaXml (Haskell). As noted in [2] these are all DOM parsers and therefore suffer from the basic efficiency problems inherent in DOM.

The parser reported in [2] is implemented using a functional style with many elegant features. However, it is not a true DSL for XML parsing since it exposes the underlying implementation mechanisms. The XML grammar language reported in this paper is implemented using XMF which allows DSLs to be

embedded within other languages.

References

- [1] CL-XML Homepage. James Anderson
<http://pws.prserve.net/James.Anderson/XML/>.
- [2] A Better XML parser through functional programming. Oleg Kiselyov. 4th International Symposium on Practical Aspects of Declarative Languages PADL'02. 2002. LNCS 2257.
- [3] Formal Properties of XML Grammars and Languages. Jean Berstel and Luc Boasson. Acta Informatica 38(9) 2002. pp 649 - 671.
- [4] XMF. <http://www.ceteva.com/>
- [5] Language Oriented Programming. Martin Ward. Software - Concepts and Tools, Vol.15, No.4, pp 147-161, 1994
- [6] Superlanguages: Developing Languages and Applications with XMF. First Edition 2008. Tony Clark, Paul Sammut, James Willans. E-book available from <http://www.ceteva.com>
- [7] Simple API for XML.
<http://www.saxproject.org>.
- [8] World Wide Web Consortium. Document Object Model Level 2 Core, November 2000.